

Non-isomorphic Affine Finites $\langle Bb, E \rangle$ -nets

ALIJA MANDAK

ABSTRACT. It is known that for each $n \in \mathbb{N}$ there exist affine finites $\langle Nn, E \rangle$ -nets $(A_{n-1}(n, q), \parallel)$ with parameters $(q, q^{n-1} + q^{n-2} + \cdots + q + 1, q^{n-2})$, where q is prime power. In the paper we prove that for each $n \in \mathbb{N}$, $n > 2$ and any prime power q there exist non-isomorphic affine finites $\langle Nn, E \rangle$ -nets with equal parameters $(q, q^{n-1} + q^{n-2} + \cdots + q + 1, q^{n-2})$.

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PRIRODNO-MATEMATIČKI FAKULTET
UNIVERSITY OF PRIŠTINA
VIDOVDANSKA B.B.
38000 PRIŠTINA
SERBIA AND MONTENEGRO

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